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**Discussion of:**

**1. Pesavento & Rossi**

Small sample confidence intervals for multivariate impulse response functions at long horizons

**2. Harding**

Using turning point information to study economic dynamics

**3. den Reijer & Vlaar**

Forecasting inflation: An art as well as a science!

- Three very different papers
- Little in common, beyond dynamic modelling
- Two essentially methodological;  
One empirical

Therefore, they will be discussed separately.

## 1. Pesavento & Rossi

Issue: Construction of confidence intervals for impulse response functions (IRF) when there is uncertainty about a unit root

Solution: Use “local to unit root” asymptotics

➤ A clever & insightful idea

- Method applies for “long” horizons where IRF depends (only) on largest root

- Much preferable to usual approach

Either: believe the results of prior unit root tests & always difference when  $I(1)$  indicated

Or: use levels & ignore estimation biases

- Results are robust to lag selection criteria:  
Reassuring!

## Some qualifications

- Method not satisfactory when distant from unit root
- $I(2)$  or “almost”  $I(2)$  ruled out

→ **Still need some pre-testing**

- Cointegrating vectors assumed known

→ **Principal use of method probably in univariate contexts**

○ **Extension to allow uncertainty about cointegration would be of great value**

- Can be substantial differences in confidence intervals depending on unit root test approach used

→ **More guidance on when to apply specific methods would help**

**But: A really good paper!**

## 2. Harding

Issue: Analysis of turning point properties of series for testing dynamic models

- Turning point information used in business cycle regime analysis:

Is it useful more generally in model specification?

- Analysis here depends on number of turning points in  $\Delta^r y_t$  ( $r$  can negative):

Suggestion this can be used for determining order of integration of  $y_t$

Example of use in checking model adequacy for US GDP

## Some comments

- $\Delta^r y_t$  is readily interpretable for  $r = -1, 0, 1, 2$ :

$$r = -1: \Delta^{-1} y_t = y_0 + y_1 + \dots + y_t$$

$$r = 0: y_t$$

$$r = 1: \Delta y_t = y_t - y_{t-1}$$

$$r = 2: \Delta^2 y_t = y_t - 2y_{t-1} + y_{t-2}$$

**Perhaps applications might concentrate on these?**

- Turning points are defined mathematically:  
Local maxima or minima

**They will be affected by outliers**

- When applied in model checking, approach does not indicate possible source of misspecification.

Obvious possibilities:

Misspecified AR order

Nonlinearity

Other structural change, etc.

In US example, 1980s volatility break remarked, but not accounted for by method

No other diagnostic tests provided for estimated model – does turning point information add to these?

- Alternative idea:  
Examine turning point information for residuals

Related to nonparametric runs test for randomness (“crossing point information”)

**Not clear yet what we gain from turning point approach compared to available methods**

**Worth pursuing!**

### **3. den Reijer & Vlaar**

Issue: Forecasting inflation for the Netherlands & the Euro Area

Including:

- Forecasting aggregates versus components
- Usefulness of exogenous information
- Model selection
- Evaluation of forecasts
- Seasonality & level of differencing

Note:

- Real world inflation forecasting involves all these & more!
- It is always easier to criticise an empirical paper than one developing methodology!

## Some comments

### Treatment of seasonality is unconvincing

- Selection between  $\Delta_1$  &  $\Delta_1\Delta_{12}$

Why consider  $\Delta_1\Delta_{12}$ ?

$$\Delta_{12} = \Delta_1 (1 + L + \dots + L^{11})$$

$$\Delta_1\Delta_{12} = \Delta_1^2 (1 + L + \dots + L^{11})$$

→ using  $\Delta_1\Delta_{12}y_t$  amounts to assumption  $y_t \sim I(2)$   
& nonstationary seasonality.

$\Delta_{12}y_t \rightarrow y_t \sim I(1)$  & nonstationary seasonality.

- Visual inspection sometimes suggests break in seasonal pattern, rather than continual change implied by  $\Delta_{12}$
- Models may be “overdifferenced” & serial correlation checks are required

Maximum lag order of 12 may be insufficient

Criteria (AIC, etc) that select **all** lags to  $p$  may not be appropriate in seasonal case;

For example: if lags are 1, 12, 13

Criteria tend to select too low order (eg, 1)

## Model comparisons not based on common information set

- Single equation information criteria are employed

Models using exogenous variables have additional information compared with VAR-based ones

- Out-of-sample RMSFE given weight in model selection to counter this

But RMSFE is computed using actual values of exogenous variables!

RMSFE comparison should use **forecasts** of exogenous variables

- RMSFE used in model selection appears to be a single dynamic forecast (horizons 1, 2, ..., 20), not accuracy at the most relevant horizon (eg, 12)

## Some findings are surprising

- Interest rates do not enter any forecasting model; perhaps more surprising that industrial production (or output gap) does not.
- Euro Area model (either based on total or aggregated components) little better than “no change” 12 or more months ahead:

Euro Area RMSFE 1998-2002

$h$	No change	Total	Aggregated
12	0.65	0.59	0.63
15	0.72	0.75	0.69
18	0.78	0.96	0.72

### **Questions:**

**Is this poor record due to the unanticipated inflation surge of early 2002?**

**Can monetary policy be based on such forecasts?**